Please let me know if any of the problems are unclear or have typos.
Exercise 1.1. [Picture-hanger's problem.] We identify our living-room wall with the complex plane $\mathbb{C}$ and hammer in a pair of nails at 0 and 1 . It is straight-forward to hang a picture $P$ from these nails so that, after removing just one of them, $P$ does not fall to the ground. Find a way to hang the picture so that, after removing either nail, $P$ does fall.

Challenge: Suppose that we in hammer nails at $0,1, \ldots, n$. Find a way to hang $P$ so that removing any one nail causes $P$ to fall.

Exercise 1.2. Find a winning strategy for the game of skill fast-and-loose (also called the endless chain) shown here: http://youtu.be/pw0_u9E3ihU?t=1m27s

Exercise 1.3. For each of the figures below, decide if the loop $\alpha$ is null-homotopic in the complement of the genus two handlebody $V$.


Figure 1.4: The figure on the left is inspired by artwork of Anatoly Fomenko, as found at the end of the book Algorithmic and computer methods for three-manifolds. The figure on the right is essentially the same as Stewart Coffin's Figure Eight Puzzle.

